## Florida's Race to the Top

## Student Growth Implementation Committee

Webinar

June 7, 2011

## The Purpose of Today's Webinar

- Clarify...
the impact of "school component" on teacher value-added scores
- Discuss...
the considerations associated with the choice of "school component" weighting coefficient " x "
- Act...
determine what that insight means to us and requires of us

How does a covariate model quantify teacher outcomes in terms of student growth?

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Teacher 1

| Student | '09 Actual DSS | '10 Actual DSS | Expected Growth <br> $\left(.781^{*}\right.$ A) + 475 <br> C |
| :--- | :---: | :---: | :---: |
| Mike J. | 1325 | 1539 | $\mathbf{1 5 1 0}$ |
| Karen B. | 1571 | 1789 | $\mathbf{1 7 0 2}$ |
| Isaac K. | 1708 | 1865 | $\mathbf{1 8 0 9}$ |
| Willie T. | 1782 | 1801 | $\mathbf{1 8 6 7}$ |
| Wendy B. | 1975 | 2063 | $\mathbf{2 0 1 7}$ |

How does a covariate model quantify teacher outcomes in terms of student growth?

- Use statewide FCAT data to estimate relationship between current year and prior year
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- Calculate the residral (amount of growth above or below expected) for each student


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| :--- | :---: | :---: | :---: | :---: |
| Mike J. | 1325 | 1539 | 1510 | $\mathbf{2 9}$ |
| Karen B. | 1571 | 1789 | 1702 | $\mathbf{8 7}$ |
| Isaac K. | 1708 | 1865 | 1809 | $\mathbf{5 6}$ |
| Willie T. | 1782 | 1801 | 1867 | -66 |
| Wendy B. | 1975 | 2063 | 2017 | $\mathbf{4 6}$ |

## How does a covariate model quantify teacher outcomes in terms of student growth?

- Use statewide FCAT data to estimate relationship between current year and prior year
- Use resulting formula to calculate expected growth for each student for a given teacher in the current year
- Calculate the residual (amount of growth above or below expected) for each student
- Express teacher's student outcome (Std ${ }_{\text {outcomes }}$ ) as the average* of residuals
* the actual math is more complex, and returns a much more accurate estimate, than a simple average; but, for today's purpose, it will help to think of it this way.


Teacher 1

| Student | '09 Actual DSS | '10 Actual DSS | Expected Growth <br> $\left(.781^{*}\right.$ A) +475 <br> C | Residual <br> B-C <br> D |
| :--- | :---: | :---: | :---: | :---: |
| Mike J. | 1325 | 1539 | 1510 | 29 |
| Karen B. | 1571 | 1789 | 1702 | 87 |
| Isaac K. | 1708 | 1865 | 1809 | 56 |
| Willie T. | 1782 | 1801 | 1867 | -66 |
| Wendy B. | 1975 | 2063 | 2017 | 46 |

How is a teacher's value-added score ( $\mathrm{Tch}_{\text {vas }}$ ) related to his/her student outcomes (Std outcomes $)$ ?

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- In models that do not estimate a "school component," all student outcomes are assumed to be directly attributable to the teacher

How is a teacher's value-added score ( $\mathrm{Tch}_{\text {vas }}$ ) related to his/her student outcomes
(Std outcomes)?

- In models that do not estimate a
"school component," all student outcomes are assumed to be directly attributable to the teacher
- As a result, the teacher's valueadded score $\left(\mathrm{Tch}_{\text {vas }}\right)$ is essentially the average of the residuals observed in the teacher's students, relative to state expectations based on the factors accounted for in the model

In models that do not estimate a "school component":

$$
\mathrm{Tch}_{\text {vas }}=\operatorname{Std}_{\text {outcomes }}
$$

where

Std $_{\text {outcomes }}$ is essentially the average of residuals observed for all students taught by the teacher, relative to state expectations based on the factors accounted for in the model

How is a teacher's value-added score ( $\mathrm{Tch}_{\text {vas }}$ ) related to his/her student outcomes (Std outcomes)?

- In models that estimate a "school component," student outcomes may be attributable to both the teacher and factors related to the school

How is a teacher's value-added score ( $\mathrm{Tch}_{\text {vas }}$ ) related to his/her student outcomes
(Std outcomes)?

- In models that estimate a "school component," student outcomes may be attributable to both the teacher and factors related to the school
- The teacher value-added score ( $\mathrm{Tch}_{\mathrm{vas}}$ ) is calculated as the sum of student growth unique to the teacher ( $\mathrm{Tch}_{\text {comp }}$ ) and a percentage (x) of the average student growth in the school (Sch comp)

In models that estimate a "school component":

$$
\mathrm{Tch}_{\text {vas }}=\mathrm{Tch}_{\mathrm{comp}}+(\mathrm{x})^{*} \mathrm{Sch}_{\text {comp }}
$$

The SGIC has chosen this type of model by choosing model "3c"

How is a teacher's value-added score ( $\mathrm{Tch}_{\text {vas }}$ ) related to his/her student outcomes
(Std outcomes) ?

- What may not be apparent is the teacher component ( $\mathrm{Tch}_{\text {comp }}$ ) is essentially the difference between the teacher's student outcomes ( $\mathrm{Std}_{\text {outcomes }}$ ) and the average student growth in the school ( $\mathrm{Sch}_{\text {comp }}$ )
- Taking that information into account, one can more easily evaluate the impact of the "school component" on a teacher's value-added score as it relates to his/her student outcomes

In models that estimate a "school component":

$$
\mathrm{Tch}_{\mathrm{vas}}=\mathrm{Tch}_{\mathrm{comp}}+(\mathrm{x})^{*} \mathrm{Sch}_{\mathrm{comp}}
$$

where

$$
\mathrm{Tch}_{\text {comp }}=\text { Std }_{\text {outcomes }}-\text { Sch }_{\text {comp }}
$$

Substituting for Tch comp :

$$
\mathrm{Tch}_{\text {vas }}=\left(\mathrm{Std}_{\text {outcomes }}-\mathrm{Sch}_{\text {comp }}\right)+(\mathrm{x})^{*} \mathrm{Sch}_{\text {comp }}
$$

The SGIC has chosen this type of model by choosing model " $3 c$ "

How is a teacher's value-added score ( $\mathrm{Tch}_{\text {vas }}$ ) related to his/her student outcomes ( $\mathrm{Std}_{\text {outcomes }}$ )?

- When $x=1$, that means that all (or $100 \%$ ) of the "school component" is included in the teacher's value-added score
- Including all of the "school component" (100\%) in the teacher's value-added score essentially means that his/her score is equal to his/her students' outcomes (which are estimated relative to the state)
- This is essentially the result that would be calculated in a model that does not estimate a "school component"

In models that estimate a "school component" the school component can be adjusted or weighted:
$\operatorname{Tch}_{\text {vas }}=\left(\operatorname{Std}_{\text {outcomes }}-\right.$ Sch $\left._{\text {comp }}\right)+(\mathrm{x})^{*}$ Sch $_{\text {comp }}$

For $x=1$ :
$\mathbf{T c h}_{\text {vas }}=\left(\mathbf{S t d}_{\text {outcomes }}-\mathbf{S c h}_{\text {comp }}\right)+(\mathbf{1})^{*} \mathbf{S c h}_{\text {comp }}$
Tch $_{\text {vas }}=$ Std $_{\text {outcomes }}$

How is a teacher's value-added score ( $\mathrm{Tch}_{\text {vas }}$ ) related to his/her student outcomes ( Std $_{\text {outcomes }}$ )?

- When $\mathbf{x}=\mathbf{0}$, that means that none (or $0 \%$ ) of the "school component" is included in the teacher's value-added score
- Including none of the "school component" ( $0 \%$ ) in the teacher's valueadded score essentially means that his/her score is equal to his/her students' outcomes (which are estimated relative to the state) minus the average performance of similar students at his/her school
- Thus, the teacher's value-added score becomes a reflection of his/her students' performance relative to the school

In models that estimate a "school component" the school component can be adjusted or weighted:
$\mathrm{Tch}_{\text {vas }}=\left(\right.$ Std $_{\text {outcomes }}-$ Sch $\left._{\text {comp }}\right)+(\mathrm{x})^{*}$ Sch $_{\text {comp }}$

For $x=0$ :
Tch $_{\text {vas }}=\left(\right.$ Std $_{\text {outcomes }}-$ Sch $\left._{\text {comp }}\right)+(0) *$ Sch $_{\text {comp }}$
Tch $_{\text {vas }}=$ Std $_{\text {outcomes }}-$ Sch $_{\text {comp }}$

## How does the choice of weighting

 coefficient ( $x$ ) impact the value-added scores of teachers in high growth schools?How does the choice of weighting coefficient ( $x$ ) impact the value-added scores of teachers in high growth schools?

- Let's start by looking at some fictional student growth data for School A

STUDENT DATA - School A (High Growth School)

| Ms. Smith |  | Ms. Brown |  | Mr. Jones |  |
| :--- | :---: | :--- | :---: | :--- | :---: |
| Student | Residual | Student | Residual | Student | Residual |
| John D. | 46 | Peter S. | 50 | Mike A. | -12 |
| Sue Q. | -12 | Kevin C. | 30 | Jerry B. | -20 |
| Jake S. | 64 | Gary R. | -20 | Owen M. | 38 |
| David O. | 58 | Mary M. | 27 | Sara J. | 55 |
|  |  | Sally N. | 42 | Tom S. | 40 |
|  |  | Billy T. | 52 |  |  |

How does the choice of weighting coefficient ( $x$ ) impact the value-added scores of teachers in high growth schools?

- Let's start by looking at some fictional student growth data for School A
- Std $_{\text {outcomes }}$ for each teacher is calculated by summing the residuals, then dividing by the number of students

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| TEACHER TOTALS |  |  |
| :---: | :---: | :---: |
| Ms. Smith | Ms. Brown | Mr. Jones |
| Total Residuals (R_total) |  |  |
| 156 | 181 | 101 |
| Total Students ( n ) |  |  |
| 4 | 6 | 5 |
| STD_outcomes (R_total/n) |  |  |
| 39 | 30 | 20 |

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## TEACHER VALUE-ADDED SCORES (TCH_vas)

Ms. Smith

| Ms. Brown | Mr. Jones |
| :---: | :---: | :---: | | 39 | 30 | 20 |
| :---: | :---: | :---: |

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- For $x=0$, we must first estimate the "school component" by averaging the

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SCHOOL TOTALS
Ms. Smith + Ms. Brown + Mr. Jones
Total Residuals (156 + 181 + 101)


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- For $\mathrm{x}=0$, we must first estimate the "school component" by averaging the results for all students
- Now we may calculate our value-added scores for $\mathrm{x}=0$

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| :--- | :---: | :--- | :---: | :--- | :---: |
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SCHOOL TOTALS
Ms. Smith + Ms. Brown + Mr. Jones
Total Residuals (156 + 181 + 101)


## TEACHER VALUE-ADDED SCORES (TCH_vas)



| Fox X=0 (STD_outcomes - SCH_comp) |
| :---: |
| 10 |$| 1$| 10 | -9 |
| :--- | :--- |

## How does the choice of weighting

 coefficient ( $x$ ) impact the value-added scores of teachers in low growth schools?How does the choice of weighting coefficient ( $x$ ) impact the value-added scores of teachers in low growth schools?

- Let's start by looking at some fictional student growth data for School B

| STUDENT DATA - School B (Low Growth School) |  |  |  |  |  |
| :--- | :---: | :--- | :---: | :--- | :---: |
| Ms. Johnson |  | Ms. Lewis |  | Mr. Smith |  |
| Student | Residual | Student | Residual | Student | Residual |
| Jerry S. | -14 | John T. | 20 | Jerry B. | -82 |
| Allen B. | -64 | Scott B. | -60 | Mike O. | -90 |
| Sue O. | 4 | Lisa I. | -72 | Jake S. | 2 |
| Sally B. | -2 | Mary M. | -33 | Sara J. | 15 |
|  |  | Tom J. | -18 | Ellen P. | -46 |
|  |  | Laura R. | -12 |  |  |

How does the choice of weighting coefficient ( $x$ ) impact the value-added scores of teachers in low growth schools?

- Let's start by looking at some fictional student growth data for School B
- Std $_{\text {outcomes }}$ for each teacher is calculated by summing the residuals, then dividing by the number of students

STUDENT DATA - School B (Low Growth School)

| STUDENT DATA - School B (Low Growth School) |  |  |  |  |  |
| :--- | :---: | :--- | :---: | :--- | :---: |
| Ms. Johnson |  | Ms. Lewis |  | Mr. Smith |  |
| Student | Residual | Student | Residual | Student | Residual |
| Jerry S. | -14 | John T. | 20 | Jerry B. | -82 |
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| :--- | :---: | :--- | :---: | :--- | :---: | :---: |
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| Sally B. | -2 | Mary M. | -33 | Sara J. | 15 |  |
|  |  | Tom J. | -18 | Ellen P. | -46 |  |
|  |  | Laura R. | -12 |  |  |  |



TEACHER VALUE-ADDED SCORES (TCH_vas) | Ms. Johnson | Ms. Lewis | Mr. Smith |
| :---: | :---: | ---: | For X=1 (STD_outcomes)

| -19 | -29 | -40 |
| :---: | :---: | :---: |

How does the choice of weighting coefficient ( $x$ ) impact the value-added scores of teachers in low growth schools?

- Let's start by looking at some fictional student growth data for School B
- Std $_{\text {outcomes }}$ for each teacher is calculated by summing the residuals, then dividing by the number of students
- For $x=1$, the teacher's value-added score is essentially equal to $\mathrm{Std}_{\text {outcomes }}$
- For $x=0$, we must first estimate the "school component" by averaging the results for all students

STUDENT DATA - School B (Low Growth School)

| Ms. Johnson |  | Ms. Lewis |  | Mr. Smith |  |
| :--- | :---: | :--- | :---: | :--- | :---: |
| Student | Residual | Student | Residual | Student | Residual |
| Jerry S. | -14 | John T. | 20 | Jerry B. | -82 |
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|  |  | Tom J. | -18 | Ellen P. | -46 |
|  |  | Laura R. | -12 |  |  |


| TEACHER TOTALS |  |  |
| :---: | :---: | :---: |
| Ms. Johnson | Ms. Lewis | Mr. Smith |
| Total Residuals (R_total) |  |  |
| -76 -175 -201 <br> Total Students (n)   <br> 4 6 5   <br> STD_outcomes (R_total/n) -19 -29  |  |  |$.$| (n) |
| :--- |

## SCHOOL TOTALS

Ms. Johnson + Ms. Lewis + Mr. Smith
Total Residuals (-76+-175+-201)


SCH_comp (-452 / 15)
$-30$

How does the choice of weighting coefficient ( $x$ ) impact the value-added scores of teachers in low growth schools?

- Let's start by looking at some fictional student growth data for School B
- Std $_{\text {outcomes }}$ for each teacher is calculated by summing the residuals, then dividing by the number of students
- For $x=1$, the teacher's value-added score is essentially equal to $\mathrm{Std}_{\text {outcomes }}$
- For $\mathrm{x}=0$, we must first estimate the "school component" by averaging the results for all students
- Now we may calculate our value-added scores for $\mathrm{x}=0$

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| :--- | :---: | :--- | :---: | :--- | :---: |
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| TEACHER TOTALS |  |  |
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| 4 | 6 | 5 |
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| -19 | -29 | -40 |

## SCHOOL TOTALS

Ms. Johnson + Ms. Lewis + Mr. Smith
Total Residuals (-76+-175+-201)


TEACHER VALUE-ADDED SCORES (TCH_vas)
Ms. Johnson Ms. Lewis Mr. Smith
For X=1 (STD_outcomes)

| -19 | -29 | -40 |
| :---: | :---: | :---: |


| X=0 (STD_outcomes - SCH_comp) |  |  |
| :---: | :---: | :---: |
| 11 | 1 | -10 |

What are the considerations of choosing values close to 0 (meaning $0 \%$ ) for the school component weighting coefficient $(x)$ ?

- There will be one model, but different standards in terms of student outcomes depending on the school
- Teachers with high student growth in high growth schools may earn lower $\mathrm{Tch}_{\text {vas }}$ than teachers with lower growth at low growth schools
- There will be difficulty in differentiating among teachers, especially across schools


## Considerations

What are the considerations of choosing the value of 1 (meaning $100 \%$ ) for the school component weighting for coefficient ( $x$ )?

- There will be one model, with the same standard in terms of student outcomes regardless of the school
- Teachers with high student growth in high growth schools will earn higher $\mathrm{Tch}_{\text {vas }}$ than teachers with much lower growth at low growth schools, regardless of how the teachers' performances compare to their respective schools
- There will not be difficulty in differentiating among teachers across schools because the values remain at a statewide comparison


## Considerations

Committee decision on weighting for coefficient $(x)$ ?

1. Discussion of considerations
2. Motion on coefficient $(x)$

- Explain rationale for any/all motion/s


## 3. Vote

- Explain rationale behind committee's final decision for clarification to the
Commissioner


## Recommendation

